

ELEMENT POSITION PERTURBATION FOR A NARROW SPOT BEAM WITH APPLICATIONS TO SATELLITE COMMUNICATION ANTENNAS

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Abstract- Design of array antennas for satellite applications is always a trade-off between physical constraints and pattern requirements. In this paper, the focus is on the design of a large array antenna for earth coverage applications using spot beams. The array antenna has a diameter of 1 m and consists of circular polarized horn antennas positioned in a non-uniform grid. By using a binary coded genetic algorithm (BCGA) the desired element positions and their excitations are optimized to full the pattern requirements. In addition thinning has been used to study the possibility of maintaining good antenna performance when reducing the number of elements. The proposed antenna design has robust side lobe level, beam width and gain; all remain virtually unchanged under a change of operating frequency

I. INTRODUCTION

Antennas for satellite communication are of interest for worldwide coverage. In the work presented here the focus is on the design of a large array antenna for use on satellites. One main issue is the overall weight of the antenna, roughly proportional to the number of antenna elements, which is traded against antenna performance. Consequently, it is very important to design arrays with as few elements as possible while still trying to maintain the radiation pattern design goals. Different optimization realizations of the antenna are discussed to examine the trade-off possibilities for the design.

We consider the design of a one meter in diameter array antenna intended for a geostationary orbit. The array should be used to cover the surface of the earth with spot beams. From the altitude 36000 km the earth covers a cone angle of 17.6. The downlink band is 17.7{20.2 GHz and each channel has 250 MHz band width}. The goal is to create a number of narrow spot beams in a hexagonal pattern. The beams should be steerable over the $\pm 8:8$ region as

to cover the visible earth with preferably small distortions. The resulting radiation pattern design is created by using digital beam forming and a four or a seven frequency scheme reuse by scanning multiple single spot beams; see Figure 1 for the four frequency reuse case.

In the current work, three goal parameters are considered for the antenna pattern: The 3 dB beam width (BW), the side-lobe level (SLL), and the directivity. It is well known that these parameters depend strongly on the array aperture, tapering, the number of elements, and the element grid and spacing.

The goals cannot be optimized independently and to establish theoretical values of the inter-relation between the above parameters a continuous source aperture is considered. To use an idealized aperture with a continuous source will give an overestimate of the obtainable values for a discrete sampling as represented by the antenna elements. For a circular array antenna with a diameter of 1 m, assuming a radial tapering of the idealized current across the aperture, we find [5, 7] a 3 dB beam width of ± 1.15 , a side-lobe level of -24.6 dB and a directivity of 44.7 dB for the centre frequency (18.95 GHz). It is desired to approach these quantities over the entire down-link spectrum with as few elements as possible. Thus, the goal of this work is to investigate the possibility of creating a high gain single spot beam array pattern with as low side-lobe level as possible, in order to have a high isolation between the same frequency cells.

From a manufacturing point of view a regular grid is preferable. However, due to expected large element spacing in this particular design, grating lobes would dominate the array pattern. To suppress such grating lobes within the $\pm 8:8$ earth coverage area one can use a non-uniform grid. An additional benefit of using different inter-element spacing in the grid layout is that it helps improving

the robustness for frequency change and beam scanning.

Four frequency reuse pattern for earth coverage. Antenna elements to be used in the array are circular polarized horns with a diameter of 15 mm. They are chosen since they are robust high gain antennas known to have a rather low element to element coupling for inter element distances. To succeed with the pattern design a good synthesis procedure is needed. There are a large number of antenna pattern synthesis methods like Dolph-Chebyshev, Taylor methods or alternating.

Unfortunately, all of them optimize the excitation for a fixed and given element position layout. Here, a critical factor in the design is the element positions which must be included in the optimization procedure. Thus we need to use a non-standard synthesis method; in the present case we use an evolution algorithm. The present paper is concerned with antenna design and antenna properties such as that the robustness of scanning and beam steering and frequency sweep, rather than design of evolution algorithms. Evolution based algorithms for electromagnetic problems have become Well-known, and applied to a wide range of areas. Such algorithms applied to pattern synthesis have appeared e.g., as pattern property perseverance starting from a linear equidistantly spaced array through thinning for the linear and square array antennas. In the present paper, the main optimization improvement is due to inter-element distance perturbation on a 2D circular disk jointly with thinning. The layout of this paper is as follows; we start by looking at the problem formulation, then the genetic algorithm is considered with focus of the modifications needed to solve this particular problem.

II. PROBLEM FORMULATION

The upcoming optimization is to maximize a cost function weighting the directivity, the beam width and the SLL's against element positions and excitations. These quantities are all interrelated through the electric far-field formula given by

$$E(R) = e^{-irk} E(u, v) F(w, u, v)/R$$

$w = (w_1, w_2, \dots, w_n)$; $u = \sin \mu \cos \hat{A}$; $v = \sin \mu \sin \hat{A}$; where F is the array factor, w , is the excitation complex vector, and $(u; v)$ are the directional cosines.

The element pattern, E (element), is the isolated element pattern of the horn antenna. An idealized horn antenna is simulated in HFSS at 18.95 GHz.

Now, consider an array of elements where each element has the position (dx_n, dy_n) . The array factor is then given by:

$$F(w, u, v) = \sum W_n e^{ik(dx_n u + dy_n v)}$$

To reduce the optimization problem in size we use a mirror symmetric arrangement of elements. Hence, $N + 1$ element are placed in the first quadrant of the 1 meter disc and subsequently mirrored along the x- and the y-axes into the other three quadrants.

The mirror symmetric algorithm introduces generically a non-uniform element density across the mirror axes. In order to avoid such a density problem we introduce elements that initially are placed exactly on the mirror axes. These elements are then allowed to move along the respective mirror axes only. Elements that are not positioned on the mirror axes are allowed to move in both the x- and the y- directions.

Note, mutual coupling is not included in the analysis. It is assumed that the coupling is low enough when having large inter-element spacing as is the case here.

III. OPTIMIZATION BY A GENETIC ALGORITHM

As a synthesis method we use a binary coded genetic algorithm (BCGA), to optimize the desired element positions and their excitations to get the spot beam pattern. An additional feature with this algorithm is the possibility of including element thinning of the array, of interest to additionally reduce the number of elements while maintaining the desired pattern properties. The thinning algorithm, however, increases the search space considerably. In order to perform thinning, we introduce a binary variable b_n which equals one if the element is active and zero if the element is switched off. Thus modifying the array factor to:

$$F(w, u, v) = \sum b_n w_n [\cos(k(dx_n u + dy_n v)) + \cos(k(dx_n u - dy_n v)) + \cos(k(-dx_n u + dy_n v)) + \cos(k(-dx_n u - dy_n v))]$$

IV. RESULTS

Applying the above described algorithm, with and without thinning, several designs have been investigated. The main difference between the considered cases is the number of elements in the circular array and the interval in which each element is allowed to be perturbed. Then, the robustness of the set-up has been verified by

scanning the beam and changing the frequency as well a study of a tapered excitation. In the first example discussed in this paper, the starting grid is made up of elements placed 2.5, apart (i.e., $a = 2.5$) and each element is allowed to be moved horizontally and vertically in the interval $[-\Delta, \Delta]$. The x- and the y-projection of the normalized power

pattern is shown for the case when $\Delta = \Gamma$, with no thinning allowed in this case. The elements are placed according to the rules outlined above, and the total number of elements is 497.

Applying the modified BCGA algorithm, the directivity of the resulting pattern obtained was 35.4 dB with a maximum SLL 16.9 dB below the main beam peak, the convergence of the algorithm. However, the maximum peak SLL over the surface of earth is ± 18 dB and the half-power beam width is 0.96. This is not exactly equal to the theoretical results assuming a continuous source, as expected.

The average separation between the elements is 1:8, (2.8 cm) and 8% of the elements have a spacing less than $\lambda/2$. Hence, the majority of the lambda elements (92%) are separated with considerably larger distances. This indicates that the effect of the mutual coupling can be neglected without affecting the results much, as indicated earlier.

Furthermore, if we would have optimized for a uniform geometry we expect to see very high side lobe levels and poor directivity. This example depicts the advantage of optimizing for element positions.

Normalized power pattern. The entire 3D pattern is here projected into an x-view and a y-view, thus the above pattern includes peaks at all positions on the sphere. Convergence of the cost function as a function of the number of iterations of generation updates. (b) The cumulative distribution functions of the minimum element separation, the 497 elements case.

An increased gain, but the side lobe level remains around ± 18 dB. An interesting question then is to see the effect of thinning. By allowing the optimizer to turn off certain elements, we can test if the optimizer finds a better solution with more degrees of freedom

Hence, the set-up considered seems to be quite stable where it is possible to adjust the number of elements without losing much in performance. The robustness is important in these applications, and to investigate this further a robustness analysis was

made with respect to frequency and beam scanning for the case without thinning. We have scanned the beam to two different scan angles; they are $\mu = 4$, $\hat{A} = 60$ and $\mu = 8:8$, $\hat{A} = 0$.

The scanned beam can be seen in Figure 5. As seen in the pictures, scanning over the half-cone of interest for earth coverage, the results are stable enough.

To check robustness with respect to frequency two extreme frequencies of the given band were picked; 17.7 GHz and 20.2 GHz, respectively. In this test, the assumption was made that the element pattern does not change much over this frequency range. Thus the realized pattern seems to be rather robust over the frequency and angle interval.

The above resulting values are noticeably lower than that of the continuous source, and to examine if the Genetic Algorithm will approach these values given a larger number of initial elements we consider the following simulation: We place elements 1.5, apart and allow the elements to move in the interval $[-\Delta, \Delta]$. Total number of elements placed in such a way is 1377. A 46% thinning is performed resulting in 750 switched-on elements. The resulting pattern from the aperture has a directivity of 36.78 dB with max peak SLL of ± 16 dB.

Notice that the SLL did not improve, we got a slight improvement in directivity, for an essentially equally wide beam. This trend seems rather generic for the chosen cost function, while testing for several initial element inter-distances and number of elements.

Finally, as the reader may have noticed, it may happen in some examples that there is a physical overlap between adjacent elements. In all examples shown here this overlap has been overseen, assuming that each element is a point source having a radiation pattern equal to the horn antenna to be used in practice. To investigate this in more detail, the physically overlapping elements have been merged into one element with an excitation equal to the sum of the two overlapping elements. This cleaning improves marginally the SLL over earth to ± 18.1 dB and beam width is ± 0.95 and directivity 35.3 dB.

V. CONCLUSION

In this paper, we show that a BCGA algorithm can optimize antenna patterns with respect to antenna position with a rather simple cost function. We note that a ± 18 dB max peak SLL for a ± 1 beam width

and 36 dB directivity seems to be rather generic for this array size. Thus, choosing a realization with only 497 elements as presented here a result close to the theoretical limit is possible. We have shown that the given element positions enable a robust response to different element excitations and that the element patterns persist across beam-sweeps and the down-link frequency band. Hence, the results indicate that it will be possible to realize an array antenna fulfilling the requirements needed for this satellite application.

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