

# Implementation of Matlab in Analysis of D.G.A of Transformer Oil Through Duval Triangle

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**Abstract—**Dissolved Gas Analysis (DGA) is one of the most widely used methods for diagnosing the health of any oil filled transformer. The Duval Triangle Method is used to interpret the cause of fault occurred in any faulty transformer on the basis of three gases i.e. Methane (CH<sub>4</sub>), Ethylene (C<sub>2</sub>H<sub>4</sub>) and Acetylene (C<sub>2</sub>H<sub>2</sub>). In this research paper, efforts have been made to diagnose the DGA sample with help of MATLAB tool implementing Duval Triangle. In this process, the concentration of all the three gases shall be taken as input while output shall be revealed in various zones of Duval Triangle.

**Index Terms—**Dissolved Gas Analysis (DGA), Duval Triangle Method Fault Diagnosis, MATLAB.

## I. INTRODUCTION

The Dissolved Gas Analysis is a process to find healthiness of Transformer oil. In this method concentration of gases are taken from Oil sample. Thereafter, data of concentration of gases are analyzed with various method such as (Key gas ratio, Roger's gas ratio method, Doernenburg gas ratio method and Duval Triangle method) to find the cause of fault or to check the healthiness of transformer. The Duval Triangle method is one of the best methods in analyzing the DGA data. The whole Duval Triangle interpretation is applied on merely their gases Methane CH<sub>4</sub>, Ethylene C<sub>2</sub>H<sub>4</sub> and Acetylene C<sub>2</sub>H<sub>2</sub><sup>[1]</sup>. A number of theories have been published in order to implement Duval Triangle method in MATLAB. In this research paper effort has been made to implement the Duval Triangle method in MATLAB which can be used in order to analyze DGA data.

## II. STUDY OF FAULT ZONES IN DUVAL TRIANGLE

The double Triangle is equilateral triangle which is composed of 7 zones. Each zone represents type of fault and the reason of fault. These zones are described as follows:

- i) PD Zone: any fault within this zone will be created as partial discharges. The reason of partial discharges maybe due to Corona or electrical spark. It is found that any lose connection inside the Transformer such as loose winding connections and loose core blessing also causes partial discharge.
- ii) D2 zone: D2 zone represents discharges of high energy. The discharges of high energy occur mainly due to degradation or oxidation of paper/ oil insulation resulting carbon particle and sludge.
- iii) D1 zone: D1 zone represents discharges of low energy. A low energy arcing induces pin holes and carbonized punctures in paper and decomposition of oil.
- iv) DT zone: This zone consists of thermal and electrical fault.
- v) T1 zone ( $T < 300^{\circ}\text{C}$ ): This zone consists of thermal faults in which temperature is less than  $300^{\circ}\text{C}$ . At this temperature the color of paper insulation turns brownish or it may have carbonized.
- vi) T2 zone ( $700 < T < 300^{\circ}\text{C}$ ): When temperature inside the Transformer becomes greater than  $300^{\circ}\text{C}$  but less than  $700^{\circ}\text{C}$  the paper insulation become completely carbonate. It may cause carbon particles in oil.
- vii) T3 zone ( $T > 700^{\circ}\text{C}$ ): When temperature inside the Transformer increases above  $700^{\circ}\text{C}$  excessive formation of carbon particle occurs in oil. Even the

color of metals such as copper, steel, iron gets changed.

### III. FAULT LOCATOR LOCI

The concentration of three key gases (Methane CH<sub>4</sub>, Ethylene C<sub>2</sub>H<sub>2</sub> and Acetylene C<sub>2</sub>H<sub>2</sub>) is taken in clockwise manner at three sides of Duval Triangle. The side of triangle representing maximum concentration of any gas shall be denoted in percentage. Therefore, the sides of equilateral triangle or the Duval Triangle shall be 100%. If we consider concentration of Methane, Ethylene and Acetylene as x %, y % and z % percent in clock wise manner. A Fault locator point will be obtained by drawing a parallel line from the point on the sides of triangle representing concentration of gas. The line from point of gas concentration must be drawn parallel to that side of triangle which is previous to it.

Let concentration (in percent) of Acetylene (C<sub>2</sub>H<sub>2</sub>), Methane (CH<sub>4</sub>) and Ethylene (C<sub>2</sub>H<sub>4</sub>) are in terms of 'a', 'b' and 'c'. The line from side representing concentration of Methane CH<sub>4</sub> (x %) is parallel to side representing concentration of Acetylene C<sub>2</sub>H<sub>2</sub> (z %). The intersection of all three parallel lines will provide a fault locator point. The fault locating Point (m, n) can be calculated from Figure-1.

$$m = b * \sin 60$$

$$n = 100 - (a + b * \cos 60)$$

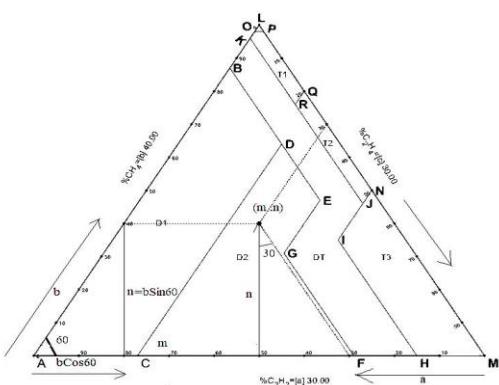


Figure 1: Fault locator point

The fault locator point would represent the zone of fault out of any of the seven zones, describing the reason of fault in transformer.

### IV. BOUNDARIES OF FAULT ZONES

The Extreme coordinates of Zones of the fault in Duval Triangles are christened as A,B,C,D,E,F,G,H,I,J,K,L,M,N,O,P,Q and R. Point 'A' may be treated as origin and left corner of Duval triangle is placed at 'A'.

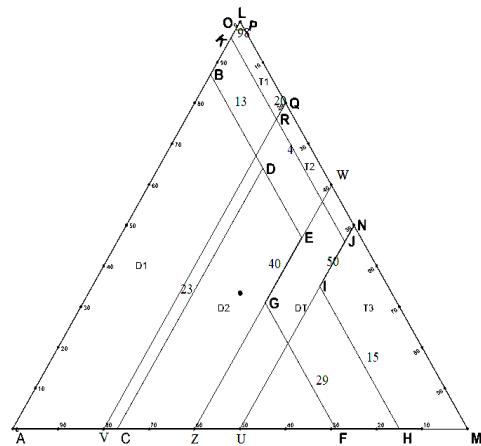


Figure 2: Calculations for coordinates

The value of these coordinates (in %) will be calculated with help of simple trigonometry calculations given as follows:-

1. For Point A: Consider it as a origin [x(1),y(1)] = (0,0).
2. For Point B :  
 $AB = 100 - 13 = 87$   
 $x(2) = AB * \cos 60 = 87 * 0.5 = 43.5$   
 $y(2) = AB * \sin 60 = 75.344$   
 $[x(2), y(2)] = [43.5, 75.344]$
3. For Point C :  
 $AC = 23$   
 $x(3) = 23$   
 $y(3) = 0$   
 $[x(3), y(3)] = [23, 0]$
4. For Point D :  
 $CD = 100 - 23 - 13 = 64$   
 $x(4) = CD * \cos 60 + 23 = 55$   
 $y(4) = CD * \sin 60 = 55.42562584$   
 $[x(4), y(4)] = [55, 55.42562584]$
5. For Point E :  
 $EZ = 60 - 13 = 47$   
 $x(5) = EZ * \cos 60 + 40 = 63.5$   
 $y(5) = EZ * \sin 60 = 40.7031939$

$$[x(5), y(5)] = [63.5, 40.7031939]$$

6. For Point F :

$$AF = 100-29 = 71$$

$$[x(6), y(6)] = [71, 0]$$

7. For Point G :

$$ZG = WZ-WG = 60-29 = 31$$

$$x(7) = ZG * \cos 60 + 40 = 55.5$$

$$y(7) = ZG * \sin 60 = 26.8467875$$

$$[x(7), y(7)] = [55.5, 26.8467875]$$

8. For Point H :

$$AF = 100-15 = 85$$

$$[x(8), y(8)] = [85, 0]$$

9. For Point I :

$$IU = NU-NI = 50-15 = 35$$

$$x(9) = IU * \cos 60 + 50 = 67.5$$

$$y(9) = IU * \sin 60 = 30.31088913$$

$$[x(9), y(9)] = [67.5, 30.31088913]$$

10. For Point J :

$$JU = NU-NJ = 50-4 = 46$$

$$x(10) = JU * \cos 60 + 50 = 73$$

$$y(10) = JU * \sin 60 = 39.83716857$$

$$[x(10), y(10)] = [73, 39.83716857]$$

11. For Point K :

$$AK = 100-4 = 96$$

$$x(11) = AK * \cos 60 = 48$$

$$y(11) = AK * \sin 60 = 83.1384387$$

$$[x(11), y(11)] = [48, 83.1384387]$$

12. For Point L :

$$AL = 100$$

$$x(12) = AL * \cos 60 = 50$$

$$y(12) = AL * \sin 60 = 86.602540378$$

$$[x(12), y(12)] = [50, 86.602540378]$$

13. For Point M :

$$AM = 100$$

$$[x(13), y(13)] = [100, 0]$$

14. For Point N :

$$NM = 50$$

$$x(14) = NM * \cos 60 + 50 = 75$$

$$y(14) = NM * \sin 60 = 43.30127018$$

$$[x(14), y(14)] = [75, 43.30127018]$$

15. For Point O :

$$AO = 100-2 = 98$$

$$x(15) = AO * \cos 60 = 49$$

$$y(15) = AO * \sin 60 = 84.8704895$$

$$[x(15), y(15)] = [49, 84.8704895]$$

16. For Point P :

$$AO = 100-2 = 98$$

$$x(16) = AO * \cos 60 + 2 = 51$$

$$y(16) = AO * \sin 60 = 84.8704895$$

$$[x(16), y(16)] = [51, 84.8704895]$$

17. For Point Q :

$$QM = 100-20 = 80$$

$$x(17) = QM * \cos 60 + 20 = 60$$

$$y(17) = QM * \sin 60 = 69.2820323$$

$$[x(17), y(17)] = [60, 69.2820323]$$

18. For Point R :

$$RV = QV - QR = 80-4 = 76$$

$$x(18) = RV * \cos 60 + 20 = 58$$

$$y(18) = RV * \sin 60 = 65.81793068$$

$$[x(18), y(18)] = [58, 65.81793068]$$

The above coordinates of shall form different polygons which will represent the zone of faults. The following table shall describe the polygons and their respective zones.

Sl.N	Zones of fault	Polygons
1	PD	Partial Discharge
2	D 1	Discharge of low
3	D 2	Discharge of High
4	T 1	Thermal Fault <300 °C
5	T 2	Thermal fault 300 - 700
6	T 3	Thermal fault > 700 °C
7	DT	Electrical and Thermal

## V. STEPS TO IMPLEMENT IN MATLAB

The MATLAB implementation consists of flow charts and MATLAB programming. Following Steps are used to create a MATLAB program implementing the Duval Triangle Method:

Step-1: Get concentration (in percent) of Acetylene (C2H2) , Methane (CH4) and Ethylene (C2H4) .

Step-2: Find the fault locator point (m, n).

Step-3: Patch all the coordinates (A, B, R) to form all Zones of fault.

Step-5: Scatter Fault locating Point (m, n) inside the triangle.

## VI. MATLAB CODE FOR DUVAL TRIANGLE

```
function Duval
```

```
clc
```

```
clear
```

```
whos
```

```

% -----
%
%
h_TRG = figure; % Handle Figure
set(h_TRG, 'Name', 'Duval Triangle: Vibhor Kumar
Singh')
%set(h_TRG, 'Name', 'Duval Triangle')
set(h_TRG, 'NumberTitle', 'off')
set(h_TRG, 'ToolBar', 'none') % Mask
ToolBar
set(h_TRG, 'MenuBar', 'none') % Mask
Menu
set(gcf, 'Color', 'w')
set(gcf, 'Color', [.8 .8 .8])
set(gca, 'visible', 'off')
hold on

prompt = {'Enter concentration of C2H2 in
PPM','Enter concentration of CH4 in PPM','Enter
concentration of C2H4 in PPM'};;
dlgtitle = 'Input:concentration of Gases';
fieldsiz = [1 45; 1 45;1 45];
answer = inputdlg(prompt,dlgtitle,fieldsiz);
A_PPM=str2num(answer{1});
B_PPM=str2num(answer{2});
C_PPM =str2num(answer{3});
a=(A_PPM/(A_PPM+B_PPM+C_PPM))*100;
b=(B_PPM/(A_PPM+B_PPM+C_PPM))*100;
c=(C_PPM/(A_PPM+B_PPM+C_PPM))*100;
%a=1;
%b=1;
%c=1;
%-----
abc = [a b c];
n = b.*sin(pi/3);
m=(100-a)-(b*cos(pi/3));
%-----
x=[0 43.5 23 55.00 63.5 71 55.5 85 67.5 73 48 50 100
75 49 51 60 58];
y=[0 75.34421013 0 55.42562584 40.70319398 0
26.84678752 0 30.31088913 39.83716857
83.13843876 86.60254038 0 43.30127019
84.87048957 84.87048957 69.2820323
65.81793069];
A=[x(1),y(1)];
B=[x(2),y(2)];
C=[x(3),y(3)];
D=[x(4),y(4)];
E=[x(5),y(5)];
F=[x(6),y(6)];
G=[x(7),y(7)];
H=[x(8),y(8)];
I=[x(9),y(9)];
J=[x(10),y(10)];
K=[x(11),y(11)];
L=[x(12),y(12)];
M=[x(13),y(13)];
N=[x(14),y(14)];
O=[x(15),y(15)];
P=[x(16),y(16)];
Q=[x(17),y(17)];
R=[x(18),y(18)];

%region patching
D1=patch([x(1) x(2) x(4) x(3)],[y(1) y(2) y(4)
y(3)],'y');
D2=patch([x(3) x(4) x(5) x(7) x(6)],[y(3) y(4) y(5)
y(7) y(6)],'r');
DT=patch([x(2) x(4) x(5) x(7) x(6) x(8) x(9) x(10)
x(18) x(11)],[y(2) y(4) y(5) y(7) y(6) y(8) y(9) y(10)
y(18) y(11)],'g');
T3=patch([x(9) x(10) x(14) x(13) x(8)],[y(9) y(10)
y(14) y(13) y(8)],'b');
T2=patch([x(18) x(10) x(14) x(17)],[y(18) y(10) y(14)
y(17)],'m');
T1=patch([x(11) x(18) x(17) x(16) x(15)],[y(11)
y(18) y(17) y(16) y(15)],'c');
PD=patch([x(15) x(12) x(16)],[y(15) y(12) y(16)],'k');

%Parallel Lines
Pa=patch([m (b*cos(pi/3))],[n
(b*sin(pi/3))], 'b','LineStyle',':', 'LineWidth',1);
Pb=patch([m (100-a)], [n
0], 'b','LineStyle',':', 'LineWidth',1);
Pc=patch([m (100*cos(pi/3)+c*sin(pi/6))],[n
(100*sin(pi/3)-c*cos(pi/6))], 'b','LineStyle',':', 'LineWidth',1);

%marking nodes
text(x(1),y(1),'A','VerticalAlignment','top','FontSize',7);
text(x(2),y(2),'B','FontWeight','bold','FontSize',7);
text(x(3),y(3),'C','VerticalAlignment','top','FontSize',7);
text(x(4),y(4),'D','FontWeight','bold','FontSize',7);

```

```

text(x(5),y(5),'E','FontWeight','bold','FontSize',7);
text(x(6),y(6),'F','VerticalAlignment','top','FontWeight','bold','FontSize',7),
text(x(7),y(7),'G','FontWeight','bold','FontSize',7);
text(x(8),y(8),'H','VerticalAlignment','top','FontWeight','bold','FontSize',7);
text(x(9),y(9),'I','FontSmoothing','on','FontWeight','bold','FontSize',7);
text(x(10),y(10),'J','FontWeight','bold','FontSize',7);
text(x(11),y(11),'K','Rotation',310,'VerticalAlignment','top','HorizontalAlignment','right','FontSize',7,'FontSmoothing','on','FontWeight','bold');
text(x(12),y(12),'L','VerticalAlignment','bottom','HorizontalAlignment','center','FontWeight','bold','FontSize',7);
text(x(13),y(13),'M','VerticalAlignment','top','FontWeight','bold','FontSize',7);
text(x(14),y(14),'N','FontWeight','bold','FontSize',7);
text(x(15),y(15),'O','Rotation',20,'HorizontalAlignment','right','VerticalAlignment','bottom','FontSize',7,'FontSmoothing','on','FontWeight','bold');
text(x(16),y(16),'P','Rotation',-10,'HorizontalAlignment','left','VerticalAlignment','baseline','FontWeight','bold','FontSize',7);
text(x(17),y(17),'Q','FontWeight','bold','FontSize',7);
text(x(18),y(18),'R','FontWeight','bold','FontSize',7);

%Zone naming
text(45,26,'D2');
text(62,26,'DT');
text(77,26,'T3');
text(64,56,'T2');
text(54,74,'T1');
text(27,35,'D1');

%Label Gases
la = ('%C_2H_2=[a]= ');
lb = ('%CH_4=[b]= ');
lc = ('%C_2H_4=[c]= ');

Ta = text(50,0, sprintf('%s%.2f',la,a));
set(Ta, 'VerticalAlignment', 'top','Position',[50,-5]);

Tb = text(20,45, sprintf('%s%.2f',lb,b));
set(Tb, 'HorizontalAlignment', 'left','Rotation',60,'Position',[20,45]);

Tc = text(80, 45, sprintf('%s%.2f',lc,c));
set(Tc, 'HorizontalAlignment', 'right','Rotation',-60,'Position',[80,45]);

% -----
% Markings' on sides
% -----
%for b=CH4
b_x=(0:50/10:50);
b_y=(0:86.6025/10:86.60250);
plot(b_x,b_y,'ok','LineWidth',1,... 'MarkerSize',2,... 'MarkerEdgeColor','k',...
'MarkerFaceColor','k');

for j=1:10
x=b_x(j);
y=b_y(j);
s=(j-1)*10;
text(x,y,sprintf('%d',s),'HorizontalAlignment','left','FontSize',6,'FontWeight','bold');

end

%for c=C2H4
c_x=(50:5:100);
c_y=(86.60250:-86.6025/10:0);
plot(c_x,c_y,'ok','LineWidth',1,... 'MarkerSize',2,... 'MarkerEdgeColor','k',...
'MarkerFaceColor','k');
for j=1:10
x1=c_x(j);
y1=c_y(j);
s1=(j-1)*10;
text(x1,y1,sprintf('%d',s1),'HorizontalAlignment','right','FontSize',6,'FontWeight','bold');

end

%for a=C2H2
a_x=(0:10:90);
b_y=zeros(1,10);

```

```

plot(a_x,b_y,'ok','LineWidth',1,...  

'MarkerSize',2,...  

'MarkerEdgeColor','k',...  

'MarkerFaceColor','k');  

for j=2:10,  

x2=a_x(j);  

y2=b_y(j);  

s2=(11-j)*10;  

text(x2,y2,sprintf('  

% d',s2),'VerticalAlignment','bottom','FontSize',6,'FontWeight','bold');  

end  

scatter(m,n,30,'k','filled');  

end

```

## VII. RESULT AND DISCUSSIONS

The program is executed by taking sample data as Concentration of  $C_2H_2$  (in PPM) = 45 PPM, Concentration of  $CH_4$  (in PPM) = 35 PPM, Concentration of  $C_2H_4$  (in PPM) = 95 PPM. Running the program will prompt a window as given in following figure:

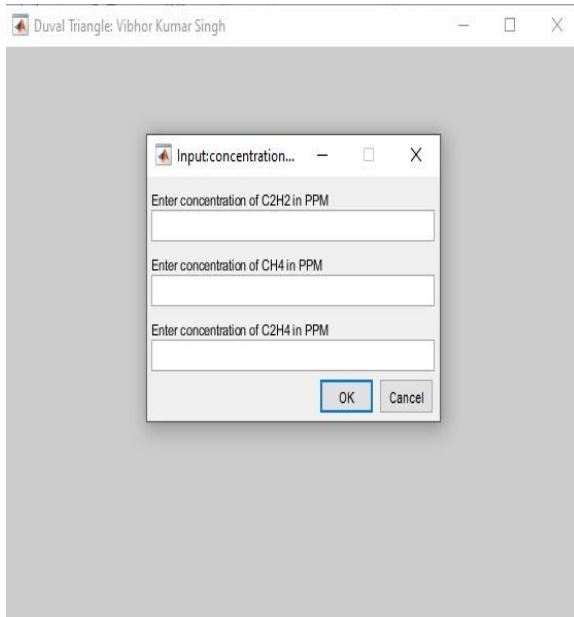


Figure-3: Prompt Window

The result will show fault locating point in DT zone. DT zone suggests for Combination of Electrical and Thermal fault with Low energy discharge.

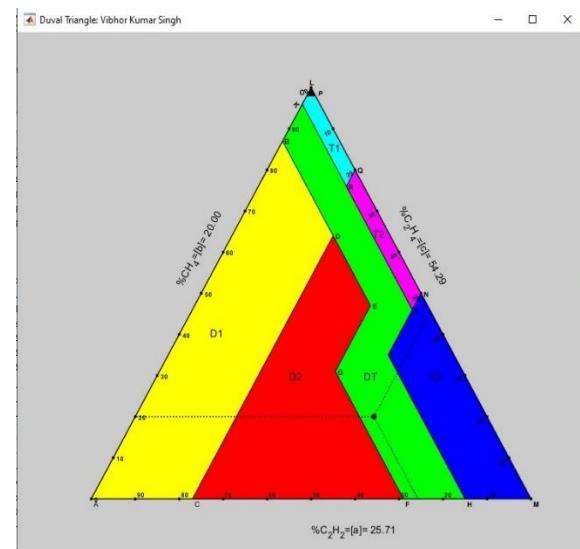


Figure 3: Result window of Duval Triangle

The MATLAB Program for Duval Triangle Method has been prepared and executed correctly. The Location of Zone is correctly represented by use of MATLAB tool.

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